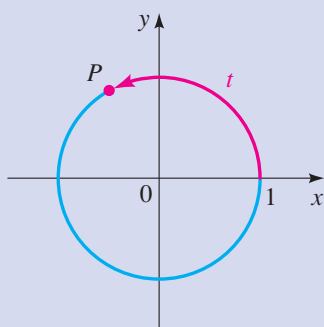


5 Test



- The point $P(x, y)$ is on the unit circle in quadrant IV. If $x = \sqrt{11}/6$, find y .
- The point P in the figure at the left has y -coordinate $\frac{4}{5}$. Find:
 - $\sin t$
 - $\cos t$
 - $\tan t$
 - $\sec t$
- Find the exact value.
 - $\sin \frac{7\pi}{6}$
 - $\cos \frac{13\pi}{4}$
 - $\tan\left(-\frac{5\pi}{3}\right)$
 - $\csc \frac{3\pi}{2}$
- Express $\tan t$ in terms of $\sin t$, if the terminal point determined by t is in quadrant II.
- If $\cos t = -\frac{8}{17}$ and if the terminal point determined by t is in quadrant III, find $\tan t \cot t + \csc t$.

6–7 ■ A trigonometric function is given.

(a) Find the amplitude, period, and phase shift of the function.

(b) Sketch the graph.

6. $y = -5 \cos 4x$

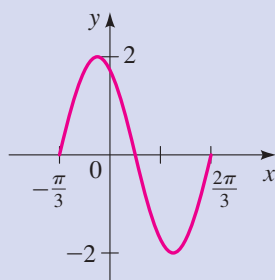
7. $y = 2 \sin\left(\frac{1}{2}x - \frac{\pi}{6}\right)$

8–9 ■ Find the period, and graph the function.

8. $y = -\csc 2x$

9. $y = \tan\left(2x - \frac{\pi}{2}\right)$

10. The graph shown at left is one period of a function of the form $y = a \sin k(x - b)$. Determine the function.



11. Let $f(x) = \frac{\cos x}{1 + x^2}$.

- Use a graphing device to graph f in an appropriate viewing rectangle.
- Determine from the graph if f is even, odd, or neither.
- Find the minimum and maximum values of f .

12. A mass suspended from a spring oscillates in simple harmonic motion. The mass completes 2 cycles every second and the distance between the highest point and the lowest point of the oscillation is 10 cm. Find an equation of the form $y = a \sin \omega t$ that gives the distance of the mass from its rest position as a function of time.

13. An object is moving up and down in damped harmonic motion. Its displacement at time $t = 0$ is 16 in; this is its maximum displacement. The damping constant is $c = 0.1$ and the frequency is 12 Hz.

(a) Find a function that models this motion.

(b) Graph the function.